**Borel—Serre Duality:**

A. Borel and J.-P. Serre, Corners and arithmetic groups, Comment. Math. Helv. 48 (1973), 436–491, Avec un appendice: Arrondissement des variétés à coins, par A. Douady et L. Hérault. MR 0387495

**Generation by integral apartments:**

Avner Ash and Lee Rudolph, The modular symbol and continued fractions in higher dimensions, Invent. Math. 55 (1979), no. 3, 241–250.

**Church—Farb—Putman Conjecture in codimension 0:**

Ronnie Lee and R. H. Szczarba, On the homology and cohomology of congruence subgroups, Invent. Math. 33 (1976), no. 1, 15–53.

**Formulation of the Church—Farb—Putman Conjecture:**

Thomas Church, Benson Farb, and Andrew Putman, A stability conjecture for the unstable cohomology of SL\_n ℤ, mapping class groups, and Aut(F\_n), Algebraic topology: applications and new directions, Contemp. Math., vol. 620, Amer. Math. Soc., Providence, RI, 2014, pp. 55–70. MR 3290086

**Presentations of Steinberg modules:**

V. A. Bykovski˘ı, Generating elements of the annihilating ideal for modular symbols, Funktsional. Anal. i Prilozhen. 37 (2003), no. 4, 27–38, 95.

**Topological proof of generation by integral apartments:**

Thomas Church, Benson Farb, and Andrew Putman, Integrality in the Steinberg module and the top-dimensional cohomology of SL\_n(O\_K), Amer. J. Math. 141 (2019), no. 5, 1375–1419

**Church—Farb—Putman Conjecture in codimension 1:**

Thomas Church and Andrew Putman, The codimension-one cohomology of SL\_n ℤ, Geom. Topol. 21 (2017), no. 2, 999–1032.